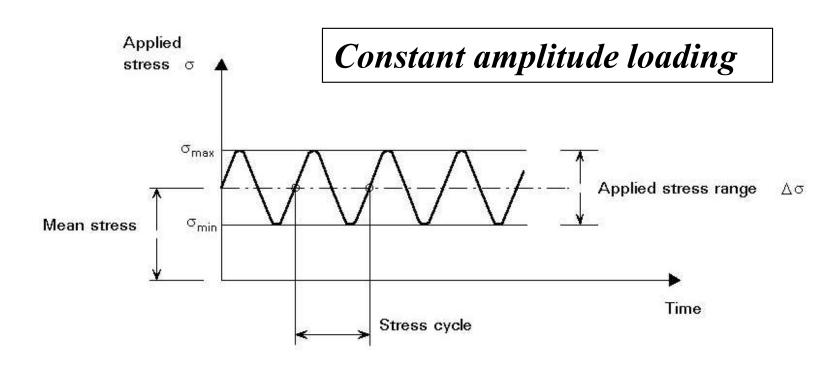
Fatigue loading



- Stress range
- Mean stress
- Stress amplitude
- Stress ratio

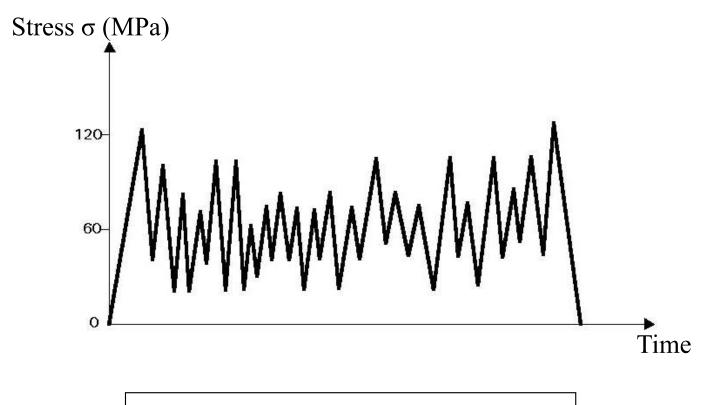
$$\Delta \sigma = \sigma_{\max} - \sigma_{\min}$$

$$\sigma_{\rm m} = \frac{1}{2} \left(\sigma_{\rm max} + \sigma_{\rm min} \right)$$

$$\sigma_a = \Delta \sigma / 2$$

$$R = \sigma_{\min} / \sigma_{\max}$$

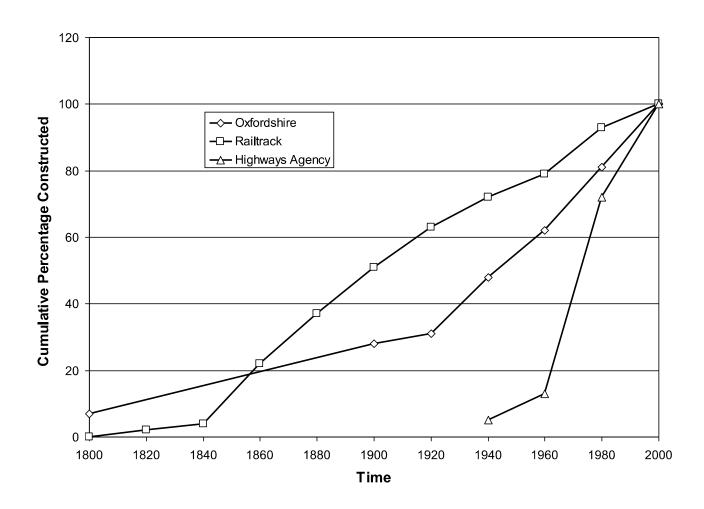
Fatigue loading



Variable amplitude loading

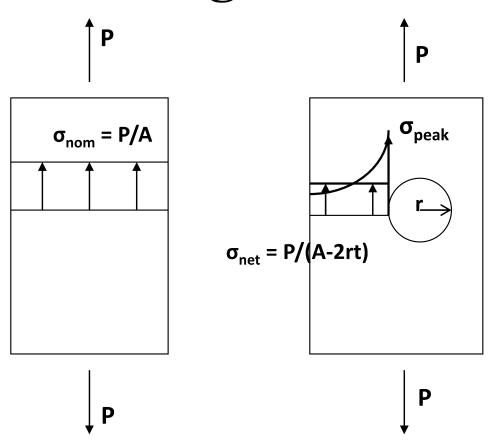
Bridge loading from live loads (e.g. vehicles, cars, trucks, trains)

Need for managing bridge fatigue



- Bridges built over the last 50 years or so are designed to be fatigue-resistant
- <u>BUT</u> there is a large number of steel bridges not designed for fatigue!
- Uncertainty and increase in traffic loads may lead to fatigue cracking
- Inspection and maintenance schemes need to be set on a rational basis

Fatigue & stress concentrations



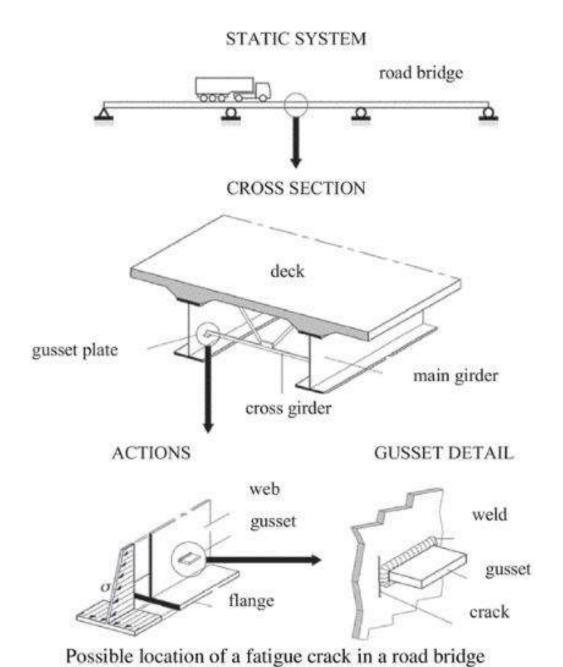
Stress concentration factor

$$K_{t} = \frac{\sigma_{peak}}{\sigma_{net}}$$

The higher K_t, the lower the fatigue life

- A stress concentration is the elevation of stresses, locally, beyond their nominal values
- Stress concentrations arise from any change in geometry, which disrupts the normal flow of stress
- Holes, notches and the connection of different elements give rise to stress concentrations
- Fatigue cracks are expected to form at the position of these local stress risers

Fatigue & stress concentrations



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